## Power Analysis

The power of the study will be determined to detect a significant difference in the "proportion of correct response" for each of the 2 primary questions on the 2 independent surveys that will be compared. First question 1 of Questionnaire 1.a with question 1 of Questionnaire 1.b will be compared. After revisions to the proposed labeling based on the results of Questionnaires 1.b and other comments received on the proposed labeling, a new survey will be conducted using Questionnaire 2. After the results are obtained, questions 1 and 7 of Questionnaires $1 . b$ and 2 will be compared. These comparisons on the primary questions will be performed using 2-sample comparisons of proportions using Fisher Exact Test. Since the power will be more conservative (lower) for the $2^{\text {nd }}$ comparison with 2 questions, the power will be determined for this comparison.

To obtain the approximate power of the study comparing the 2 questions for the 2 independent surveys for Questionnaires 1b. and 2., the following information is needed: estimates for the proportions of correct response, sample size of the study (400 per survey questionnaire), the test used to analyze the data (Fisher's Exact test), two-sided significance level of the test (0.05), and a multiple comparison approach (Bonferroni since it is most conservative and will give lowest power). Since we don't have "estimates" for the proportions of correct response for these 2 questions, we will assume a proportion of $50 \%$ for the 2 questions and we will use the Bonferoni adjustment for multiplicity (i.e., the 2 questions). This will provide the most conservative situation for calculating the power, and thus, give a lower bound power estimate for a 2-sample test of proportions given a sample size of 400 per study arm. Given this particular situation (a $50 \%$ proportion), the lower bound on the power for detecting 10\% and $15 \%$ differences in the 2 groups will be approximately $70 \%$ and $95 \%$, respectively. If a less conservative and possibly more realistic correct proportion of $70 \%$ correct is used, then the power increases to $83 \%$ and $99 \%$, respectively.
Therefore, this study of 400 subjects per arm should have, for most situations, greater than $80 \%$ power to detect a $10 \%$ or greater difference in proportion of correct response. It will have even greater power to detect a difference of $10 \%$ for the first comparison (questionnaires 1.a and 1.b) since this comparison only involves 1 primary comparison. Note that that it has very little power to detect a $5 \%$ difference for any of the comparisons. Power curves for these situations are given below.

Power Curves for Control $=0.5$


Power vs P1 by A with $P 2=0.70 \mathrm{~N} 1=400 \mathrm{~N} 2=\mathrm{N} 1$ 2-Sided Exact Test


